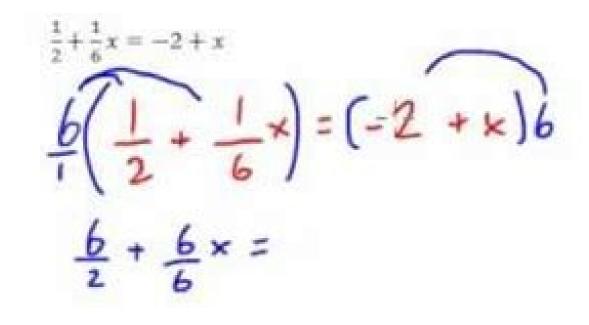
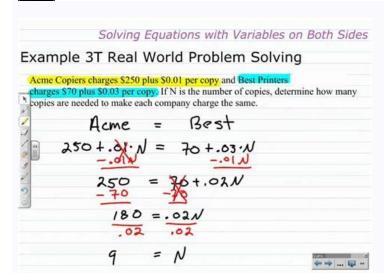
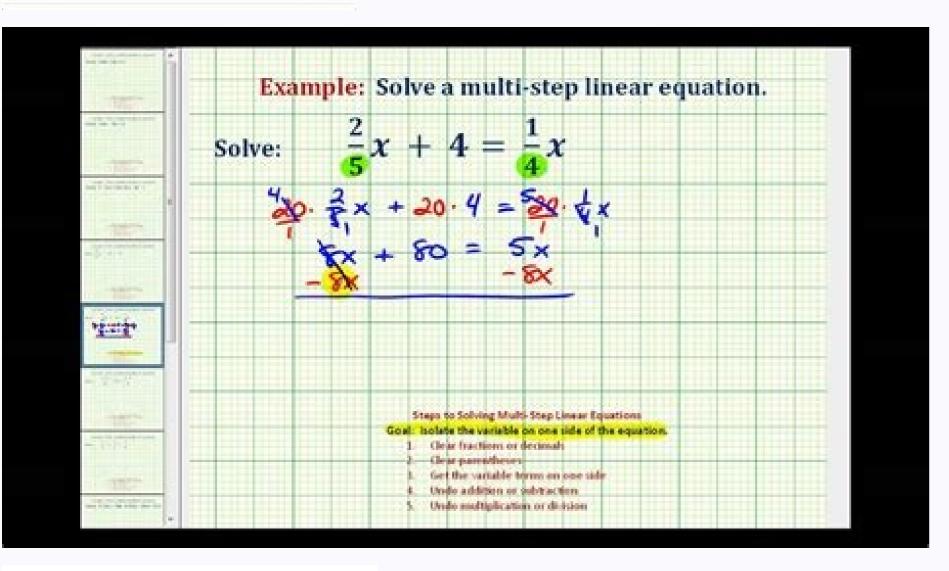
Equations with variables on both sides fractions

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1. \frac{5a}{3} - 2 = \frac{a}{4} + 15 2. \frac{x}{3} + \frac{x}{6} - 1 = \frac{5x}{12} 3. \frac{2a}{5} - \frac{7}{5} = \frac{3a}{4} - \frac{5}{4}
4. \frac{x}{2} - \frac{x}{3} = \frac{x}{4} - 1 5. \frac{3x}{4} + \frac{1}{2} = \frac{x}{5} + \frac{8}{5} 6. \frac{x}{4} - \frac{5}{12} = \frac{x}{2} - \frac{x}{3}
7. \frac{x}{5} = \frac{3}{35} + \frac{x+1}{7} 8. \frac{2y-1}{3} + 3 = y 9. \frac{5x+2}{3} + \frac{x}{5} = \frac{3x-5}{15} + x
10. \frac{2y-1}{3} + 3 = y 11. \frac{1}{2} + \frac{x-1}{3} = \frac{x}{2}
12. x - \frac{x-1}{2} = 0 13. \frac{4x}{3} - \frac{3x-4}{6} = 5 - \frac{x-2}{2}
14. \frac{x+1}{2} + \frac{x+2}{3} - \frac{x+3}{4} = 2 15. \frac{5x-4}{3} - \frac{4x-3}{2} - \frac{3x-2}{1} = 0
16. \frac{3(2x+7)}{5} - 3 = \frac{5x-2}{3} 17. \frac{2x}{a} + \frac{b-a}{a} = \frac{2b}{a} \left( \frac{2x}{a} - \frac{b}{a} \right)
18. \frac{5}{6y} + \frac{2}{3y} = 1 + \frac{1}{2y}
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Brackets Both Sides Equations

$$5(n + 1) = 2(n + 10)$$

 $5(n + 1) = 2(n + 10)$
 $5n + 5 = 2n + 20$
Now Solve a Letters Both Sides Equation
 $5n + 5 = 2n + 20$
 $-2n$ $-2n$
 $3n + 5 = 20$

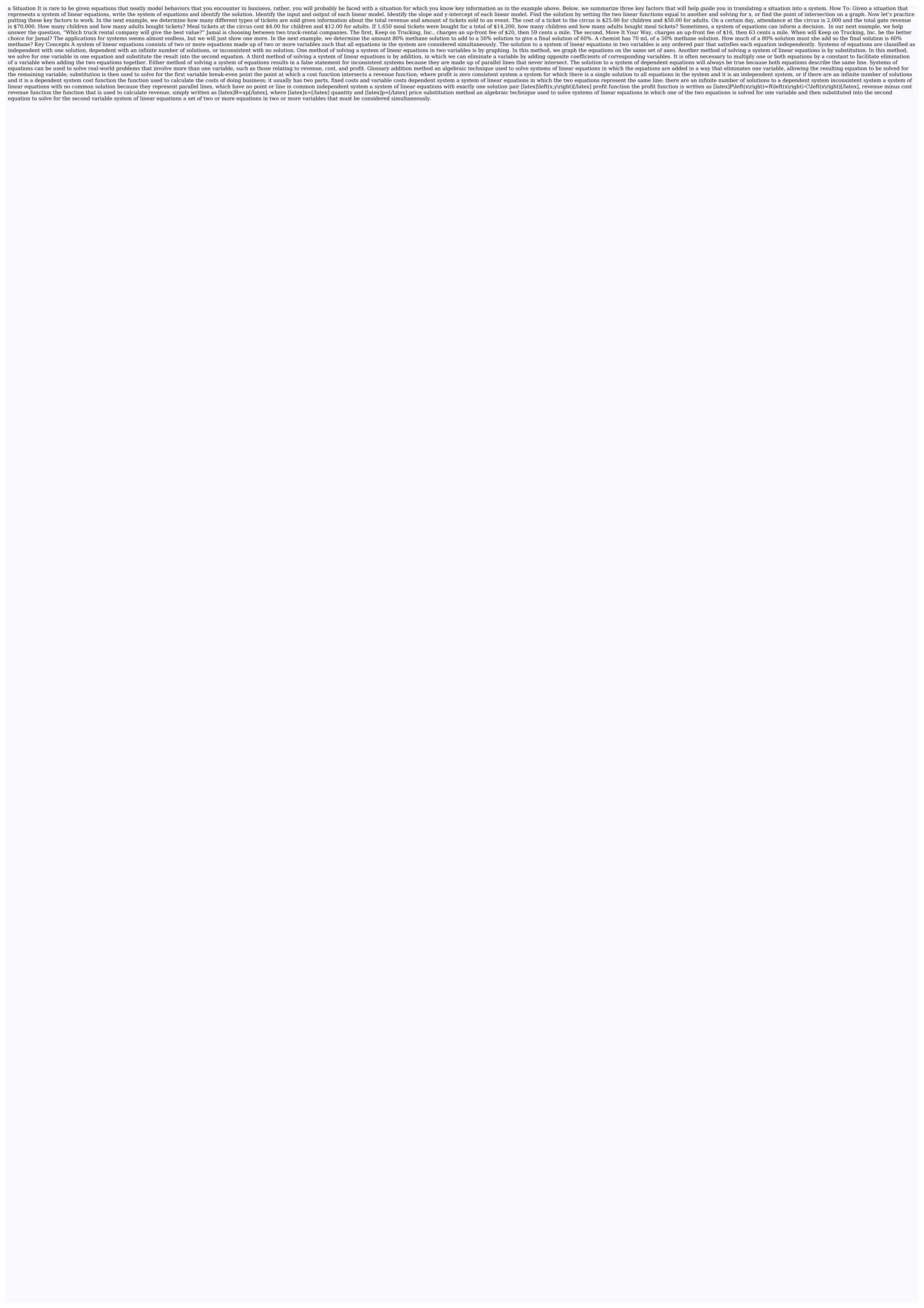
Step 3. Solve as normal (See next slide)

Equations with variables on both sides decimals & fractions worksheet. Solving equations with variables on both sides fractions and variables on both sides fractions with variables on both sides fractions and decimals.

1. Simplify: Remove the parentheses: \$latex \frac{1}{3}x-4x-8=10-2x+17\$. Remove the fractions: \$latex -11x-24=-6x+81\$. 2. Isolate the variable: move the -24 to the right and the -6x to the left: \$\$-11x-24+24=-6x+81+24\$\$ \$latex -11x=-6x+105\$ \$latex -11x+6x=-6x+105+6x\$ \$latex -5x=105\$ 3.

Apply operations to isolate the \$latex x\$: divide both sides by -5: \$latex \frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: substitute the value in the original equation: \$\frac{{105}}{-5}\$ = 21\$ 4. Verify your solution: \$\frac{{10 Answer: \$latex x=-21\$. If you're seeing this message, it means we're having trouble loading external resources on our website. If you're behind a web filter, please make sure that the domains *.kasandbox.org are unblocked. Learning Outcomes Solve systems of equations by graphing, substitution, and addition. Identify inconsistent systems of equations containing two variables. Express the solution of a system of dependent equations containing two variables using standard notations. A skateboard manufacturer introduces a new line of boards, and its revenue, which is the amount it earns through sales of its boards. How can the company determine if it is making a profit with its new line? How many skateboards must be produced and sold before a profit is possible? In this section we will consider linear equations with two variables to answer these and similar questions. (credit: Thomas Sørenes) Introduction to Solutions of Systems In order to investigate situations such as that of the skateboard manufacturer, we need to recognize that we are dealing with more than one equations consists of two or more linear equations and likely more than one equations in the system are considered simultaneously. To find the unique solution to a system of linear equations, we must find a numerical value for each variable in the system at the same time. Some linear system at the system at the system to have a unique solution, there must be at least as many equations as there are variables. Even so, this does not guarantee a unique solution. In this section, we will look at systems of linear equations in two variables. Even so, this does not guarantee a unique solution. In this section, we will look at systems of linear equations in two variables. [latex]\begin{align}2x+y&=15\\1mm] 3x-y&=5\end{align}{/latex} The solution to a system of linear equations in two variables is any ordered pair that satisfies each equation to the system of linear equations. We can verify the solution by substituting the values into each equation to see if the ordered pair satisfies both equations. Shortly we will investigate methods of finding such a solution if it exists. [latex]\begin{align}2\left(4\right)+\left(7\right)&=5 &&\text{True} \end{align}[/latex] In addition to considering the number of equations and variables, we can categorize systems of linear equations by the number of solutions. A consistent system if it has a single solution, such as the example we just explored. The two lines have different slopes and intersect at one point in the plane. A consistent system is considered to be a dependent system if the equations have the same slope and the same y-intercepts. In other words, the lines coincide so the equations represent the same line. Every point on the line represents a coordinate pair that satisfies the system. Thus, there are an infinite number of solutions. Another type of system of linear equations is an inconsistent system, which is one in which the equations represent two parallel lines. There are no points common to both lines; hence, there is no solution to the system. There are types of systems of linear equations in two variables, and three types of solutions. An independent system has exactly one solution pair [latex]\left(x,y\right)[/latex]. The point where the two lines are parallel and will never intersect is the only solution. Notice that the two lines are coincident. They are the same line, so every coordinate pair on the line is a solution to both equations. Below is a comparison of graphical representations of each type of system. How To: Given a system of linear equation in the system. Determine whether true statements result from the substitution in both equations; if so, the ordered pair is a solution. Determine whether the ordered pair [latex]\left(8,5\right)[/latex] is a solution to the following system. [latex]\begin{align}5x-4y&=20\\ 2x+1&=3y\end{align}[/latex] There are multiple methods of solving system of linear equations. For a system of lequations on the same set of axes. Solve the following system of equations by graphing. Identify the type of system. [latex]\begin{align}2x+y&=-8\\ x-y&=-1\end{align}[/latex] Solve the following system of equations by graphing. [latex]\begin{gathered}2x - 5y=-25 \\ -4x+5y=35 \end{gathered}2x - 5y=-25 \\ -4x+5y=35 \\ system has no solution and is inconsistent. If the two lines are identical, the system has infinite solution as either consistent or inconsistent. If the system is consistent determine whether it is dependent or independent. You may find it easier to plot each system individually, then clear out your entries before you plot the next. 1) [latex]x=2y-1[/latex] (latex]x=2y-1[/latex] (latex]x=2y-1[/latex] (latex]x=2y-1[/latex] (latex]x=2y-1[/latex] (latex]x=2y-1[/latex] (latex]x=2y-1[/latex] (latex)x=2y-1[/latex] (la works well when the solution consists of integer values, but if our solution contains decimals or fractions, it is not the most precise method. We will consider two more methods of solving a system of equations by the substitution method, in which we solve one of the equations for one variable and then substitute the result into the second equation to solve for only one variable at a time, which is the reason the substitution method is both valuable and practical. How To: Given a system of two equations in two variables, solve using the substitution method is Solve one of the two equations for one of the variables in terms of the other. Substitute that solution into either of the original equations to find the value of the first variable. If possible, write the solution as an ordered pair. Check the solution in both equations. Solve the following system of equations by substitution. [latex]\begin{align}x&=y+3 \ 4&=3x - 2y \end{align}[/latex] Yes, but the method works best if one of the equations contains a coefficient of 1 or -1 so that we do not have to deal with fractions. The following video is ~10 minutes long and provides a mini-lesson on using the substitution method to solve a system of linear equations. We present three different examples, and also use a graphing tool to help summarize the solution for each example. Solving Systems of Equations in Two Variables by the Addition Method A third method of solving systems of linear equations is the addition method, this method is also called the elimination method. In this method is also called the elimination method, we add two terms of one variable having opposite coefficients. Often we must adjust one or both of the equations by multiplication so that one variable will be eliminated by addition. How To: Given a system of equations with x- and y-variables on the left side of the equations above the other, lining up corresponding variables. If one of the variables in the top equation has the opposite coefficient of the same variable in the bottom equation by a nonzero number so that one of the variables in the top equation has the opposite coefficient of the same variable in the bottom equation, then add the equations to eliminate the variable. Solve the resulting equations for the remaining variable. Substitute that value into one of the original equations by addition. [latex]\begin{align}x+2y&=-1 \\ -x+y&=3 \end{align}[/latex] Solve the given system of equations by addition. [latex]\begin{align}2x - 7y&=2\\ 3x+y&=-20\end{align}[/latex] Solve the given system of equations by addition. addition. [latex]\begin{align}2x+3y&=-16 \\ 5x - 10y&=30\end{align}2x+3y&=-16 \\ 5x - 10y&=30\end{align}2x+3y&=8\\ 3x+5y&=10\end{align}2x+3y&=10\ [/latex] in the following video we present more examples of how to use the addition (elimination) method to solve a systems of equations, we can use the methods to identify inconsistent systems. Recall that an inconsistent system consists of parallel lines that have the same slope but different [latex]y[/latex] -intercepts. They will never intersect. When searching for a solution to an inconsistent system, we will come up with a false statement, such as [latex]y[/latex] - 2y \ &x+2y=13 \end{gathered}[/latex] Solve the following system of equations in two variables. [latex]\begin{gathered}2y - 2x=2\\ 2y - 2x=6\end{gathered}2y - 2x=6\end{gath have an infinite number of solutions because all of the points on one line are also on the other line. After using substitution or addition, the resulting equation will be an identity, such as [latex]0=0[/latex]. Find a solution to the system of equations using the addition method. [latex]\begin{gathered}x+3y=2\\3x+9y=6\end{gathered}[/latex] In the previous example, we presented an analysis of the solution to the following system of equations: [latex]\left(x, -\frac{1}{3}\x+\frac{2}{3}\right)[/latex]. Why would we write the solution this way? In some ways, this representation tells us a lot. It tells us that x can be anything, x is x. It also tells us that y is going to depend on x, just like when we write a function rule. In this case, depending on what you put in for x, y will be defined in terms of x as [latex]-\frac{1}{3}x+\frac{2}{3}[/latex]. In other words, there are infinitely many (x,y) pairs that will satisfy this system of equations, and they all fall on the line [latex]f(x)-\frac{1}{3}x+\frac{2}{3}[/latex]. Solve the following system of equations in two variables. [latex]\begin{gathered} y - 2x = 5 \ -3y + 6x = -15 \ end{gathered} [/latex] Using Systems of Equations to Investigate Profits Using what we have learned about systems of equations, we can return to the skateboard manufacturing problem at the beginning of the section. The skateboard manufacturer's revenue function is the function used to calculate the amount of money that comes into the business. It can be represented by the equation [latex]R=xp[/latex], where [latex]x=[/latex]quantity and [latex]p=[/latex] price. The revenue function is shown in orange in the graph below. The cost function is shown in blue in the graph below. The x-axis represents quantity in hundreds of units. The y-axis represents either cost or revenue in hundreds of dollars. The point at which the two lines intersect is called the break-even point. We can see from the graph that if 700 units are produced, the cost is \$3,300 and the revenue is also \$3,300. In other words, the company breaks even if they produce and sell 700 units. They neither make money nor lose money. The shaded region to the right of the break-even point represents quantities for which the company suffers a loss. The profit function is the revenue function minus the cost function, written as [latex]P\left(x\right)=R\left(x\right)-R\left(x\right

C\left(x\right)[/latex]. Clearly, knowing the quantity for which the cost equals the revenue function [latex]R\left(x\right)=1.55x[/latex], find the break-even point and the profit function. Writing a System of Linear Equations Given



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